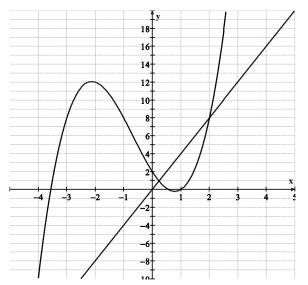
Summary: Graphs and Properties of Polynomial Functions

From the investigation there are some trends you should have noticed. You can determine the end behaviour of a function using the degree of the function, combined with the sign of the <u>leading coefficient</u>. The leading coefficient is the coefficient of the term with the largest exponent.

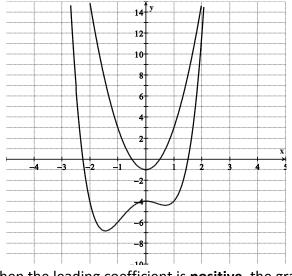
ie. The leading coefficient of $f(x) = -2x^3 - 5x + 4$ is -2

A. Functions with Odd Degree (Linear, Cubic, Quintic,...)

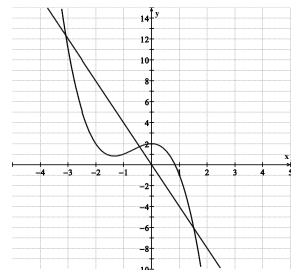


When the leading coefficient is **positive**, the graph extends from quadrant 3 (Q3) to quadrant 1 (Q1).

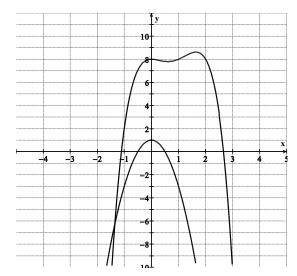
B. Functions with Even Degree (Quadratic, Quartic,...)



When the leading coefficient is **positive**, the graph extends from quadrant 2 (Q2) to quadrant 1 (Q1).



We the leading coefficient is **negative**, the graph extends from quadrant 2 (Q2) to quadrant 4 (Q4).



When the leading coefficient is **negative**, the graph extends from quadrant 3 (Q3) to quadrant 4 (Q4).

Number of Roots

The maximum number of roots is equal to the degree of the function

ie. The maximum number of x-intercepts of a cubic function is 3.

Functions of odd degree have at least one root.